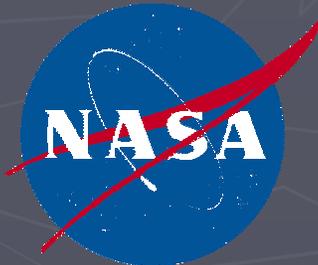




# Maximum count rates in Constellation-X TES microcalorimeters

Eneetalí Figueroa-Felciano

NASA Goddard Space Flight Center



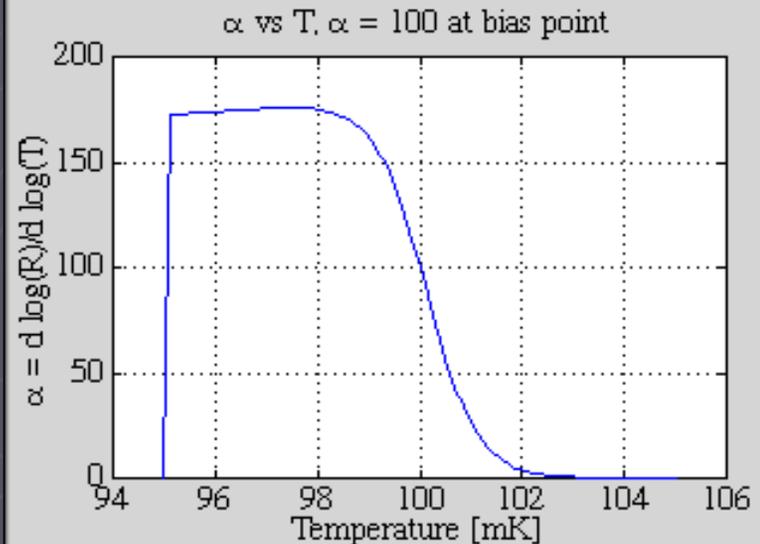
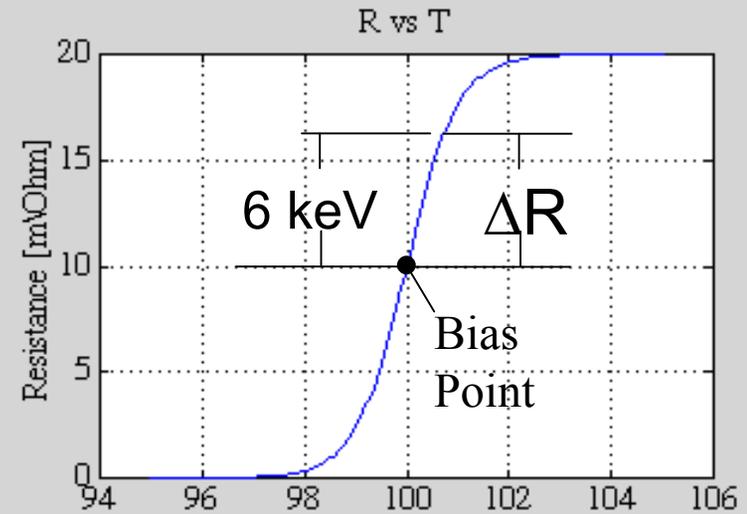
# Is there a problem with TESs and high count rates?

- For Constellation-X, we need to be able to “handle” 1000 cts/s.
- To find out, we:
  - a) Created a non-linear model of a TES detector
  - b) Modeled the spectrum of photons from the Crab as seen through Constellation-X

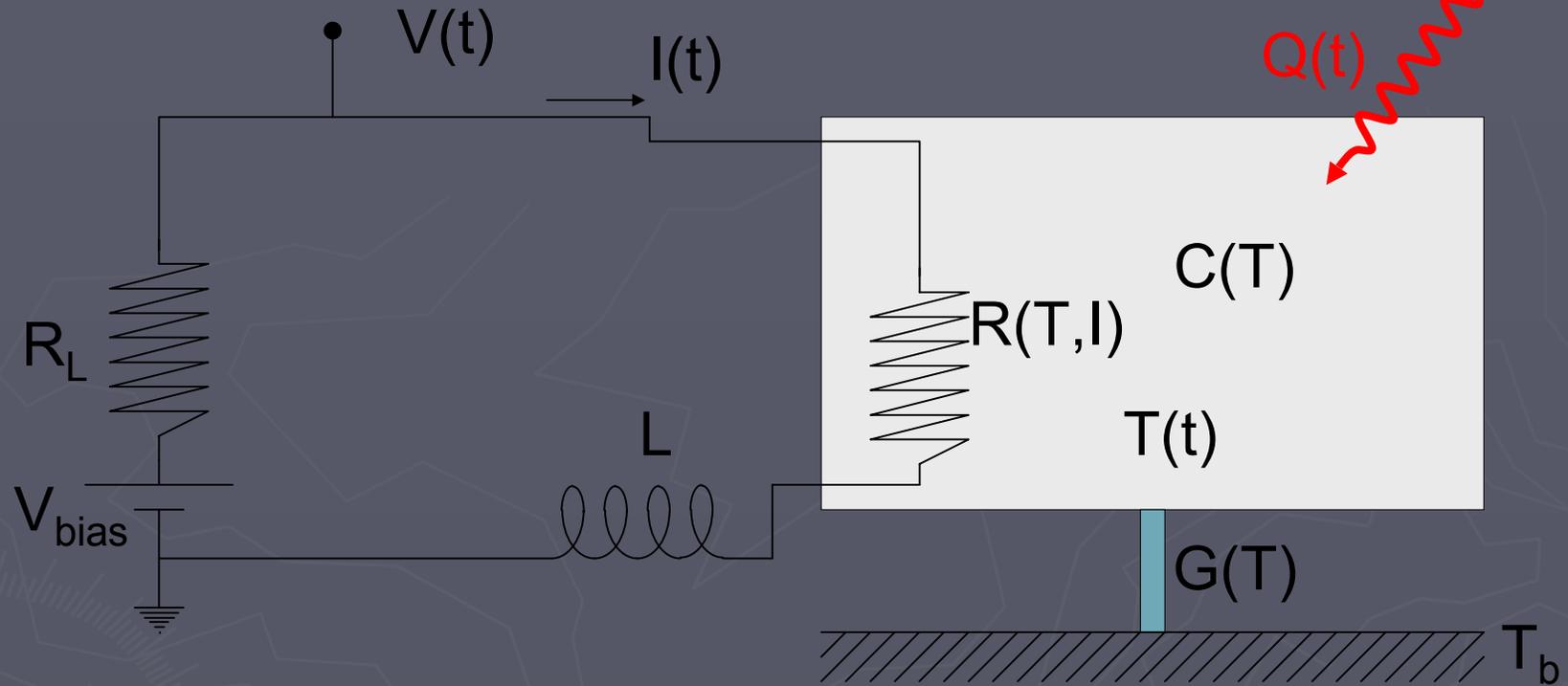
# Parameters of our TES model

- $\alpha = 100$ ,  $\beta = 0$
- $R_{\text{quiescent}} = 10 \text{ m}\Omega$
- $R_{6\text{keV}} = 16 \text{ m}\Omega$
- $R_n = 20 \text{ m}\Omega$
- $\tau_{\text{eff}} = 100 \text{ }\mu\text{s}$ ,  $\tau_o = 2500 \text{ }\mu\text{s}$
- $C = 2 \text{ pJ/K}$
- $G = 0.804 \text{ nW/K}$

$$R(T) = R_n \left[ \frac{\tanh(10\alpha(T - T_c))}{2} + \frac{1}{2} \right]$$



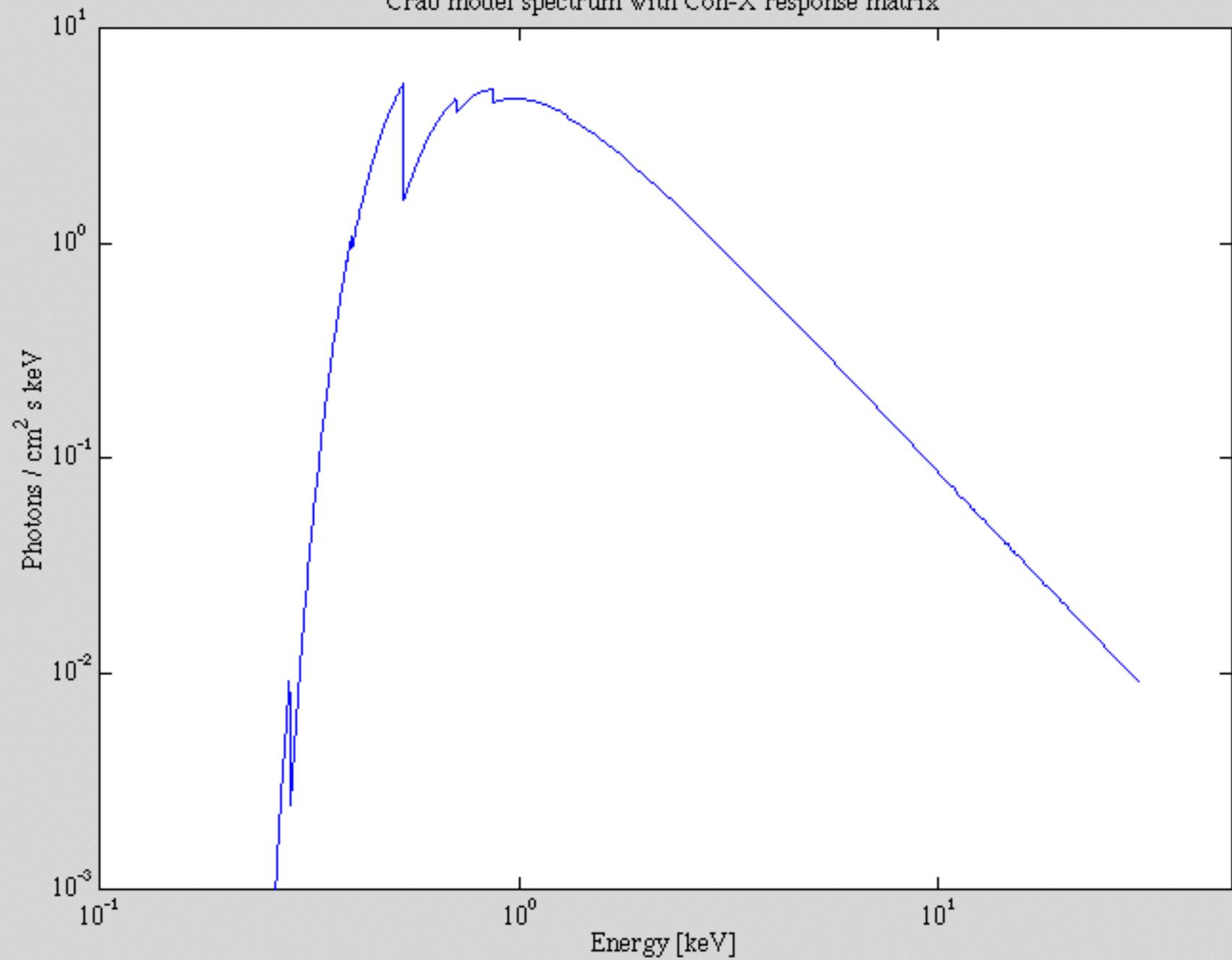
# Non-linear model of a TES



$$L \frac{dI}{dt} = V_{\text{bias}} - I(t) \left( R_L + R(T, I) \right)$$

$$C(T) \frac{dT(t)}{dt} = I(t)^2 R(T, I) - K (T(t)^n - T_b^n) + Q(t)$$

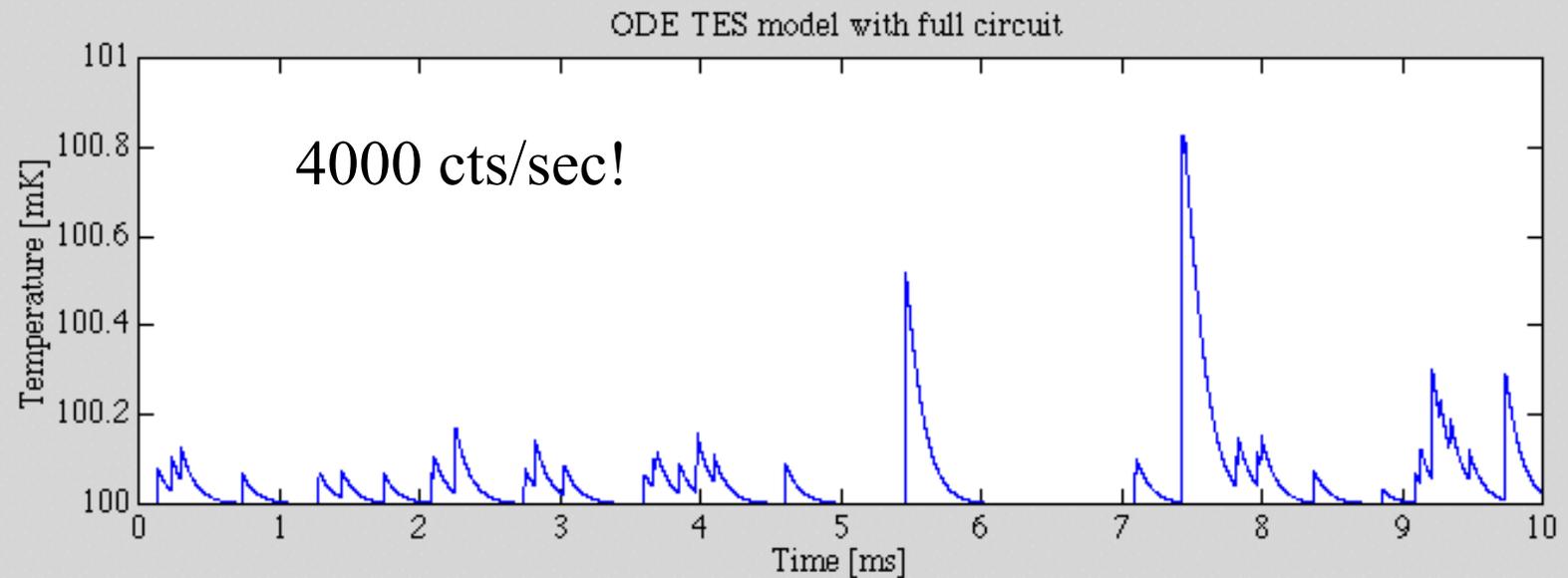
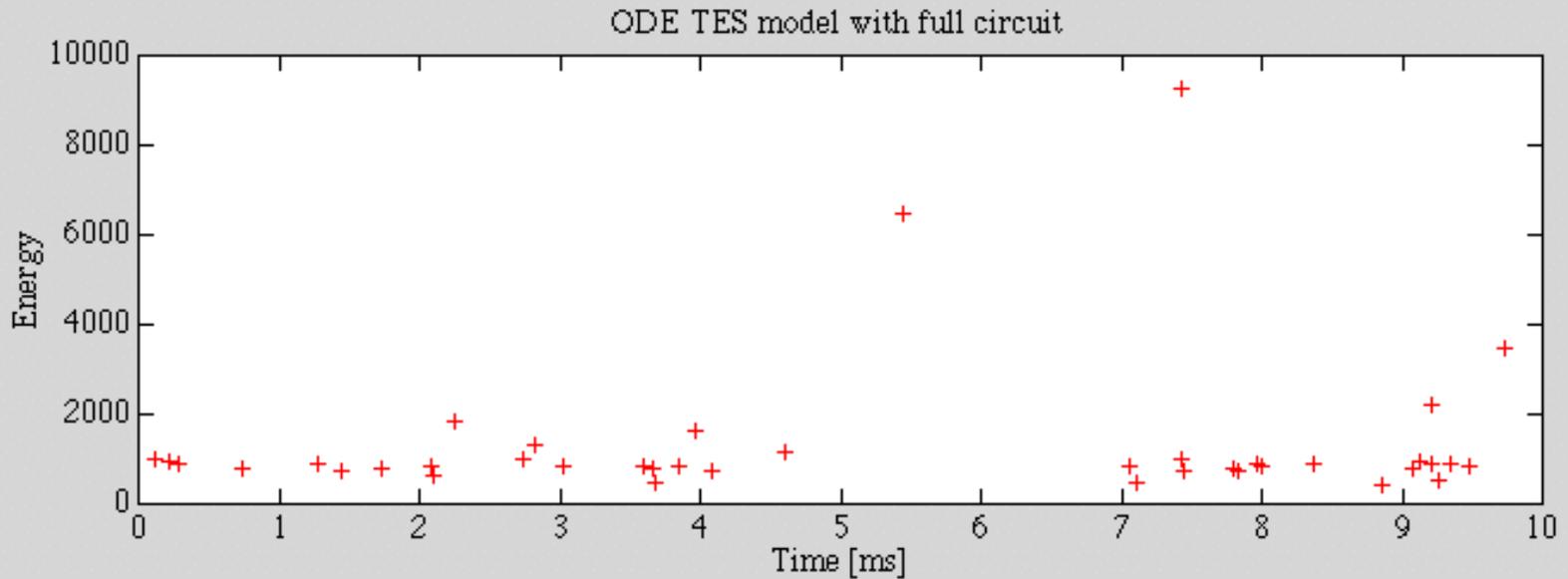
Crab model spectrum with Con-X response matrix



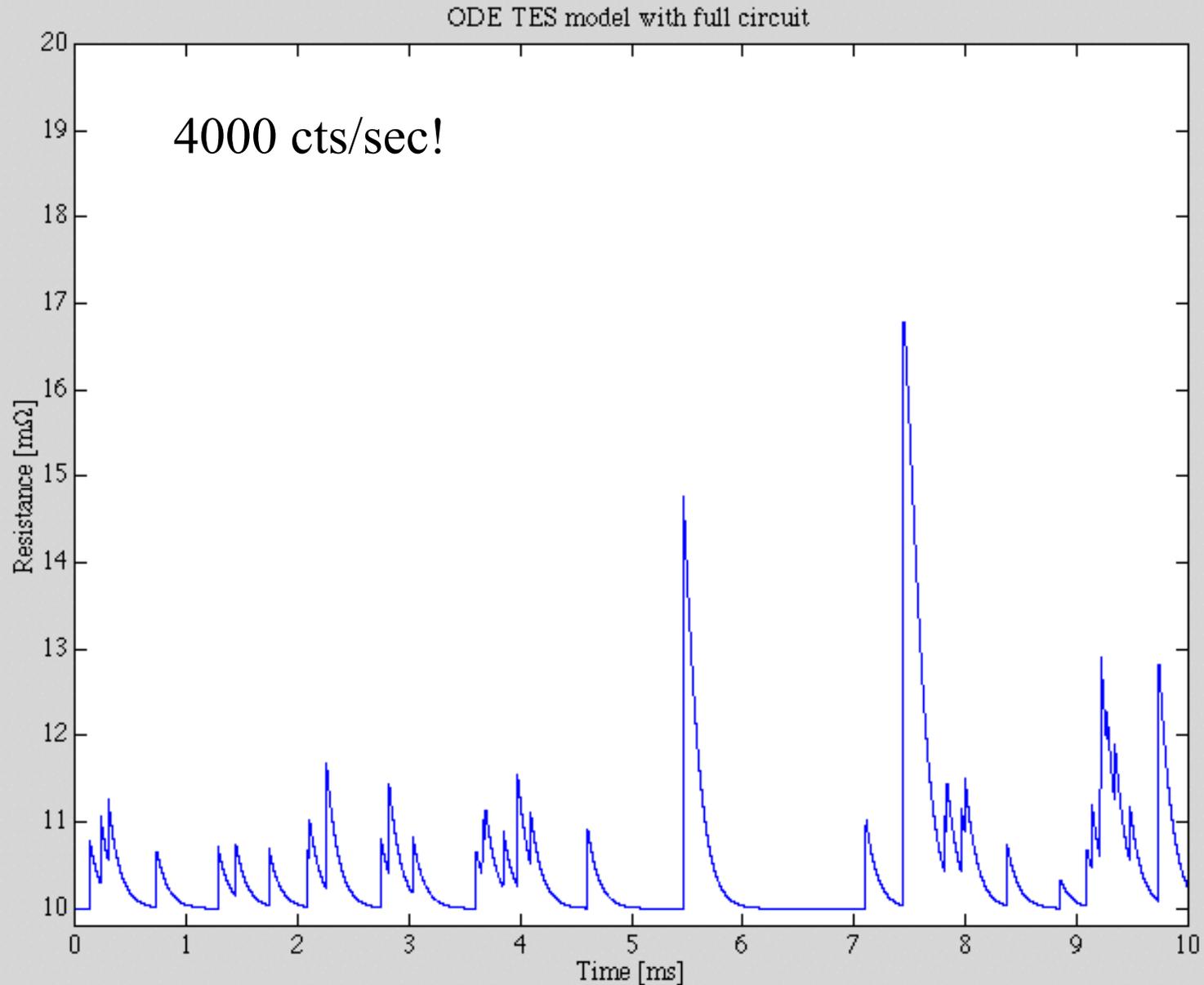
# How many counts per pixel?

- 80000 cts/sec integrated flux
- 20000 cts/sec/array
- Assuming the Crab is a point source (very conservative), this would be distributed among 9 pixels
- We assume the central pixel receives about 4000 cts/sec. Note this is 4 times our required rate!

# Crab-like point source on pixel



# Crab-like point source on pixel

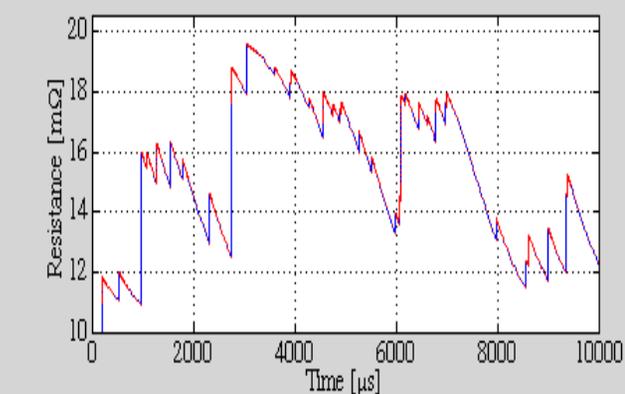
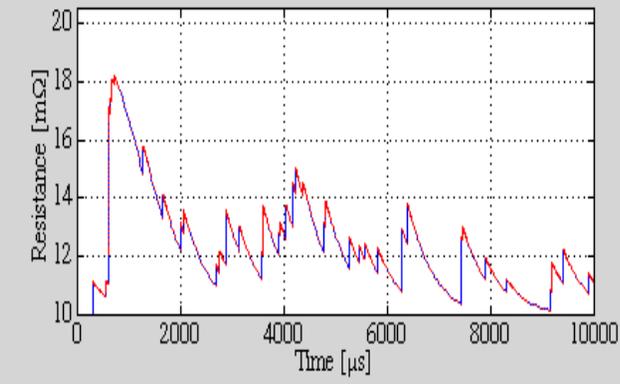
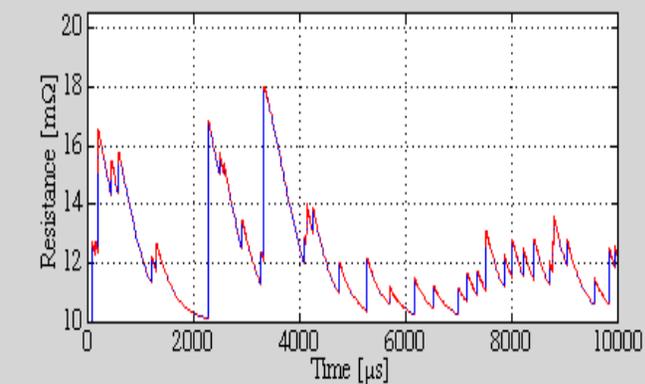
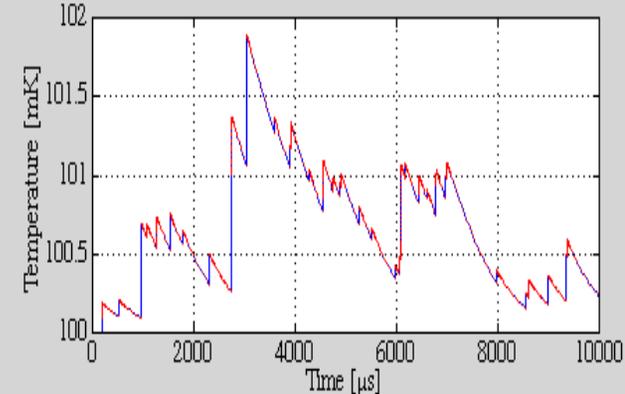
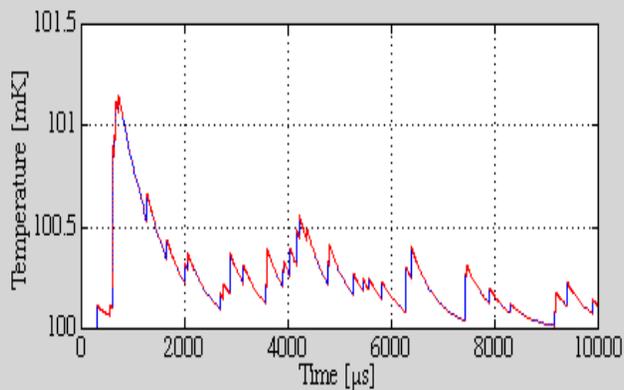
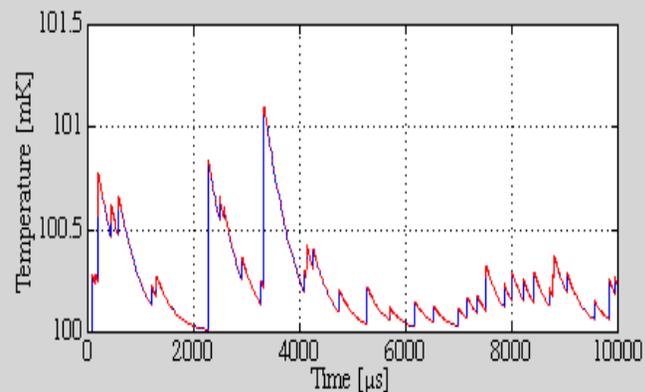
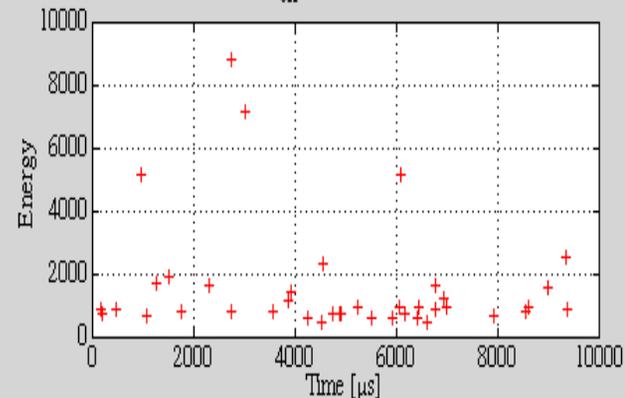
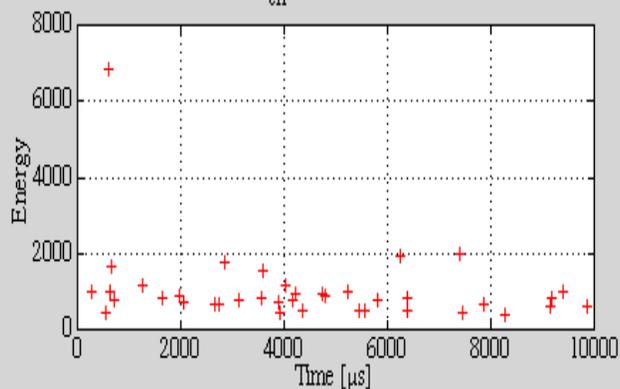
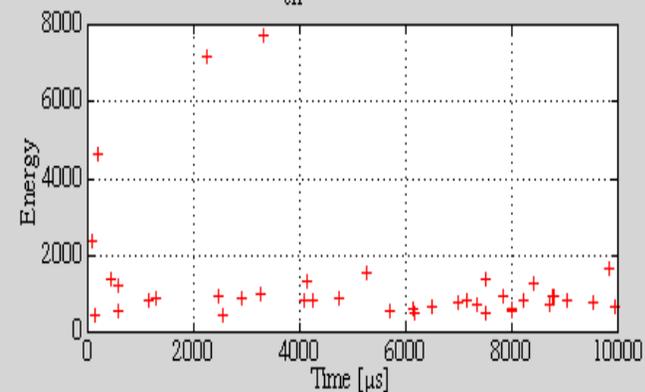


# Crab-like point source for $\tau_{\text{eff}} = 300, 400, \text{ and } 500 \mu\text{s}$

$\alpha = 100, \tau_{\text{eff}} = 300 \mu\text{s}$  at 4000 cts/sec

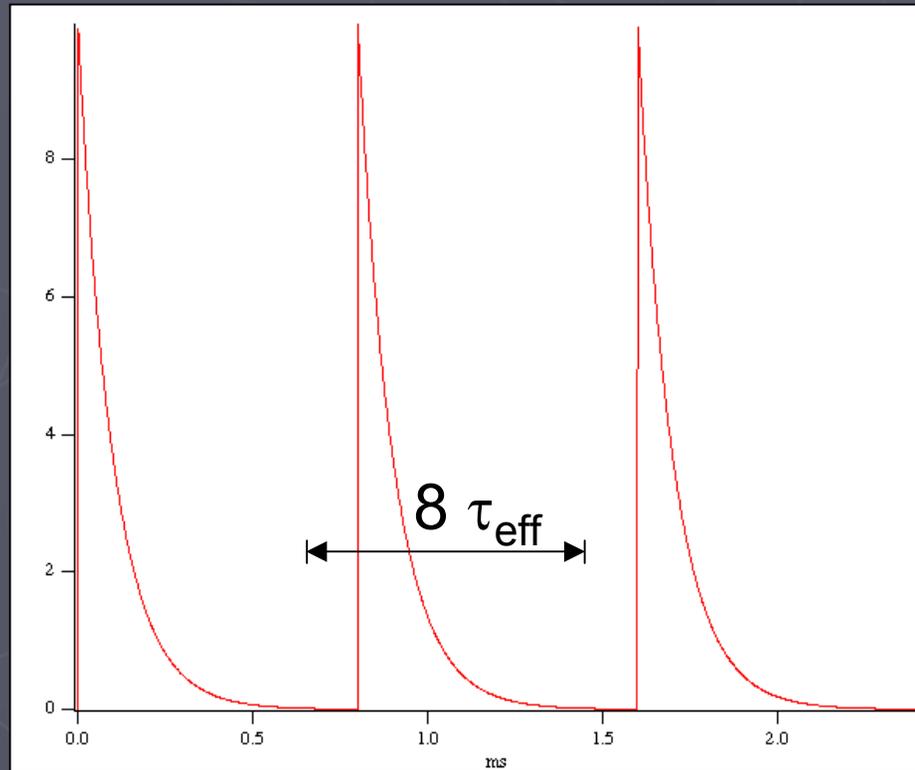
$\alpha = 100, \tau_{\text{eff}} = 400 \mu\text{s}$  at 4000 cts/sec

$\alpha = 100, \tau_{\text{eff}} = 500 \mu\text{s}$  at 4000 cts/sec

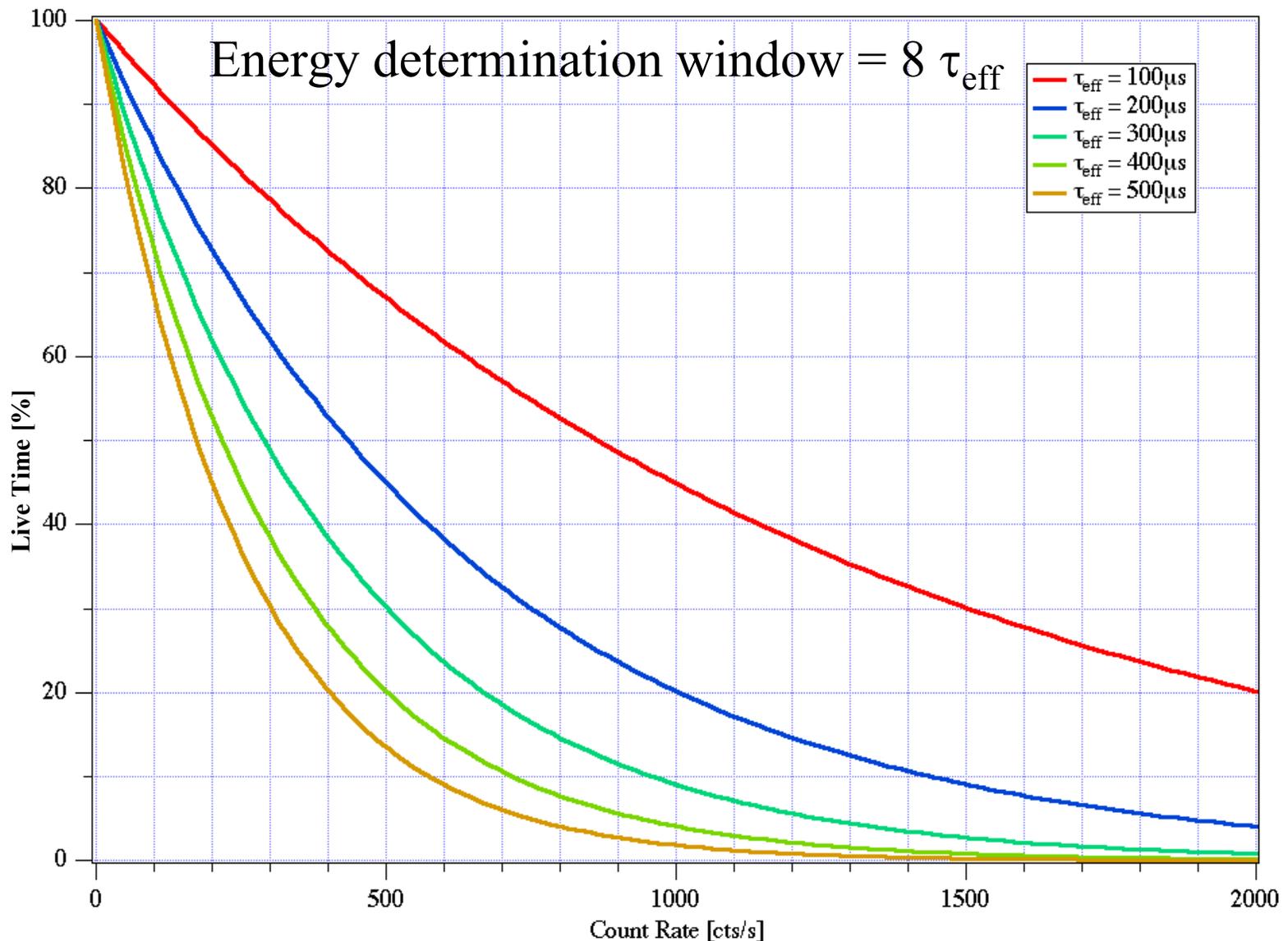


# What is the throughput for Highest-Resolution Spectroscopy?

- To get the best resolution, one needs to use an optimal filter.
- An optimal filter needs a record length of about  $8 \tau_{\text{eff}}$ , where  $\tau_{\text{eff}}$  is the decay time of the pulse



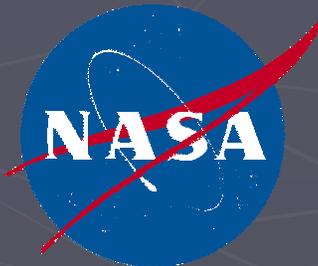
# Live Time vs Count Rate



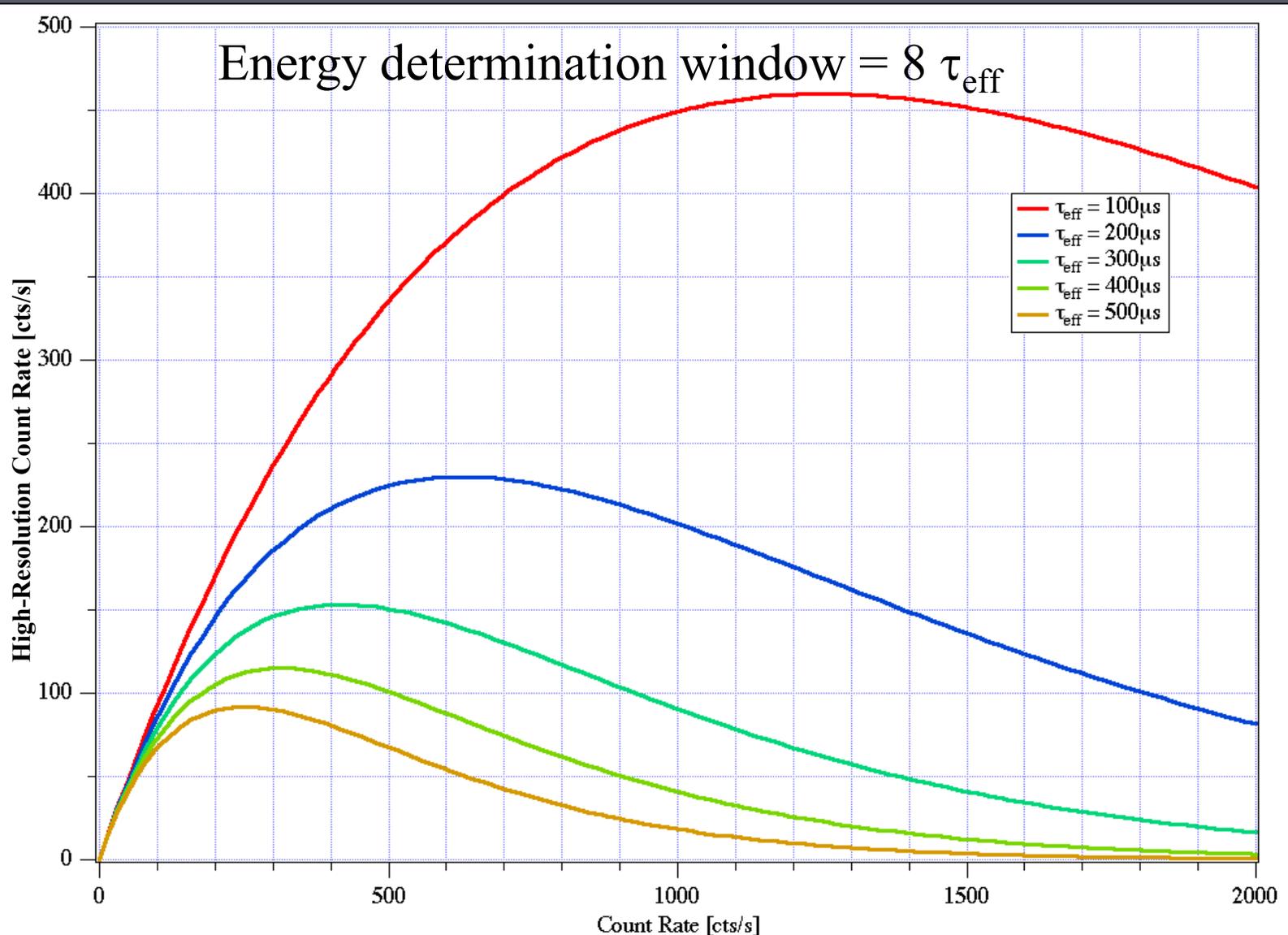


# Conclusions

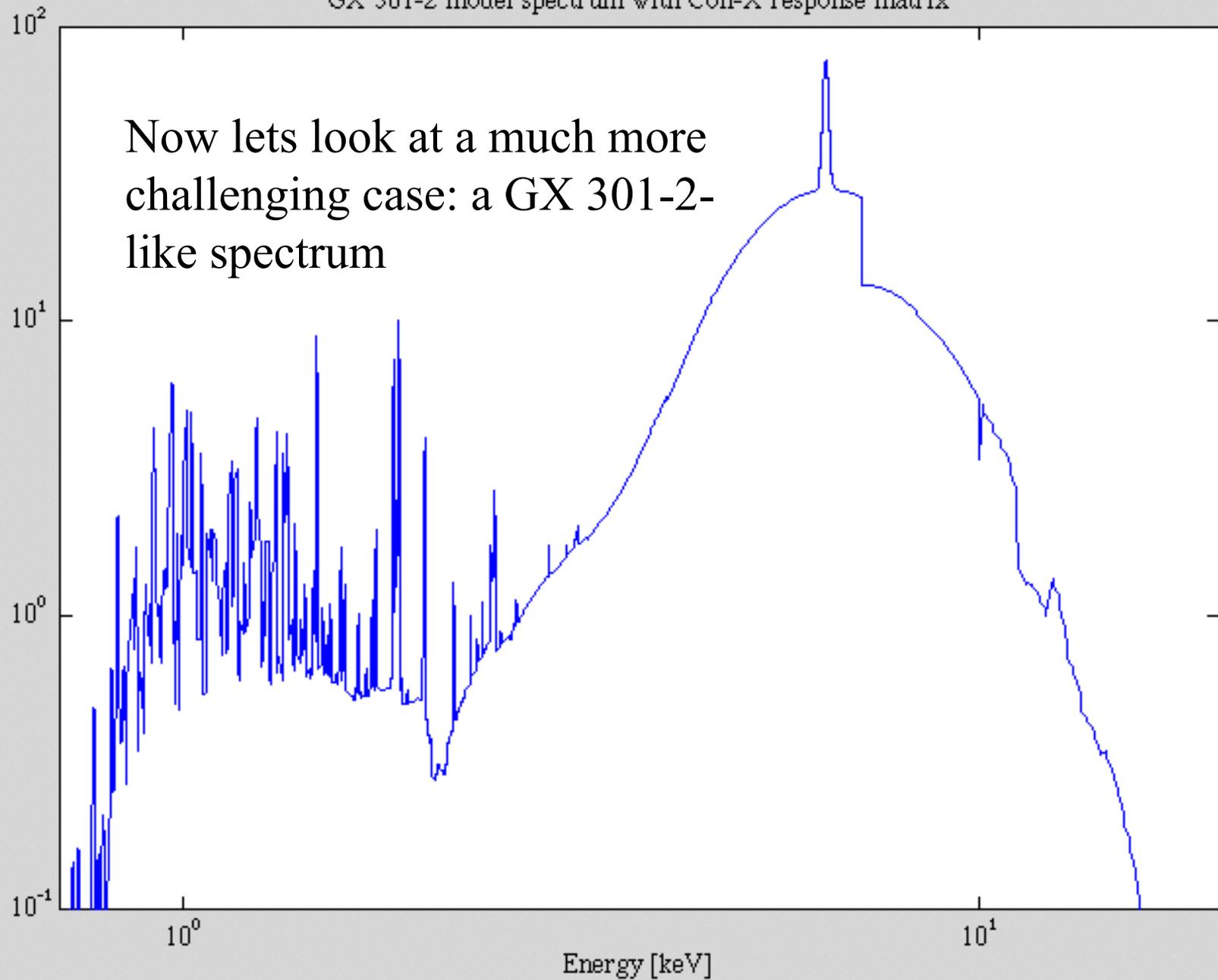
- Transition-Edge Sensors for Constellation-X are not saturated by 1 Crab point sources.
- Decay times of 500  $\mu\text{s}$  will still allow the TES to function without saturation for Crab fluxes.
- Dead time effects are the same as semiconductor microcalorimeters



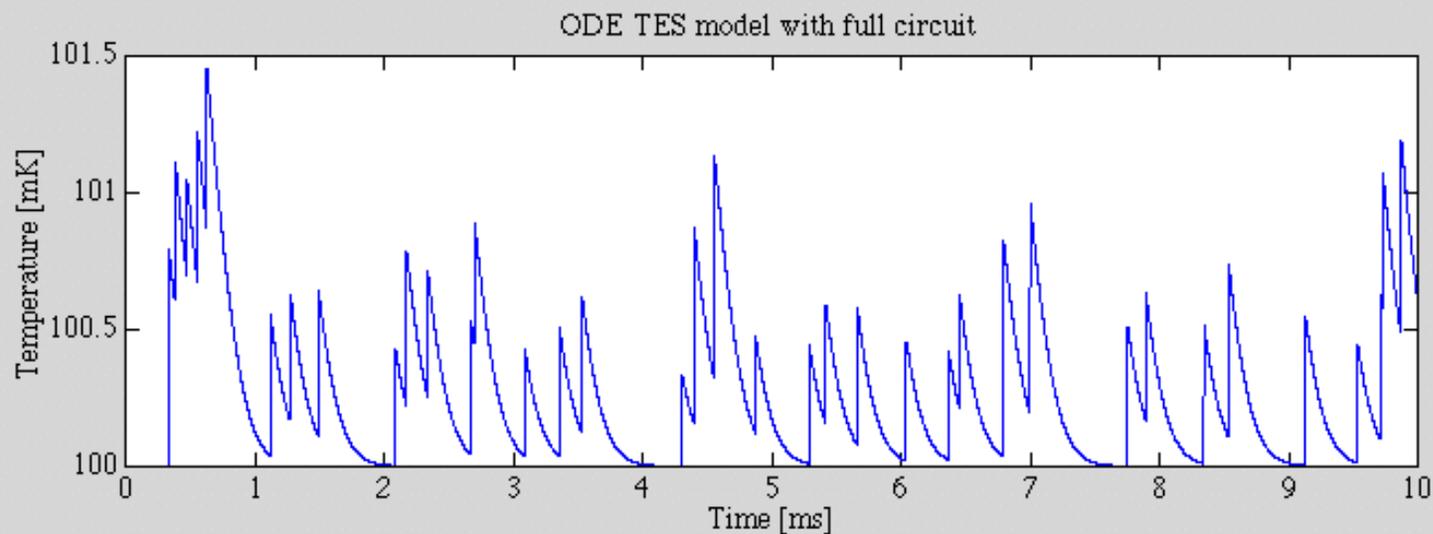
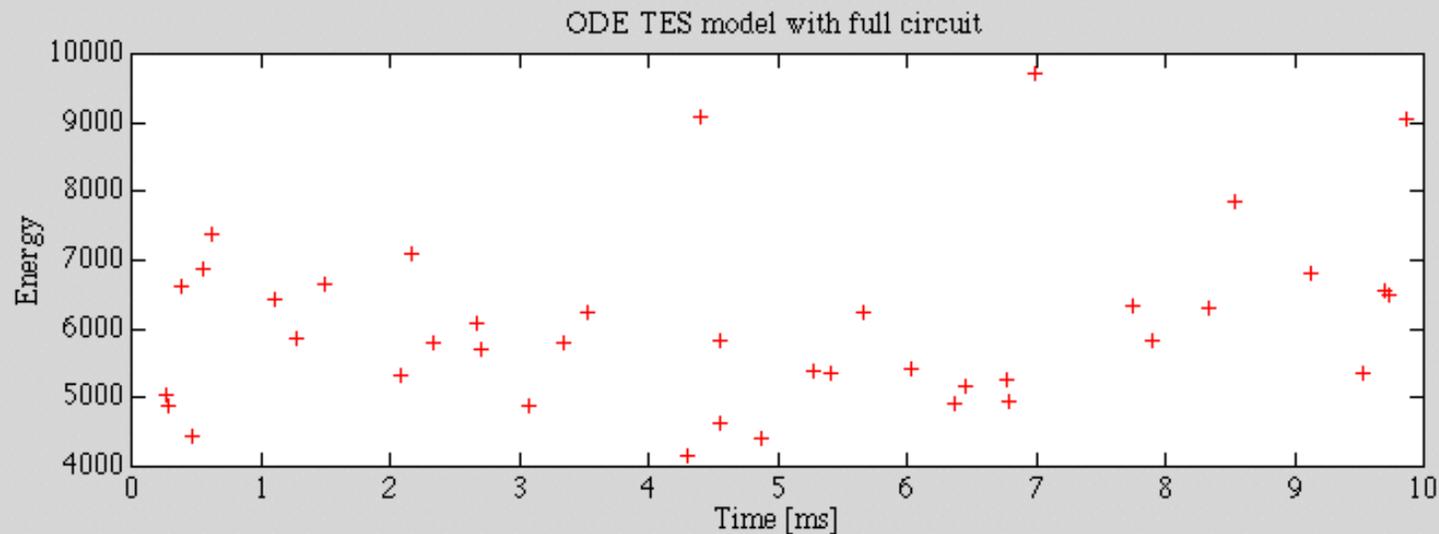
# High-Res Rate vs Count Rate



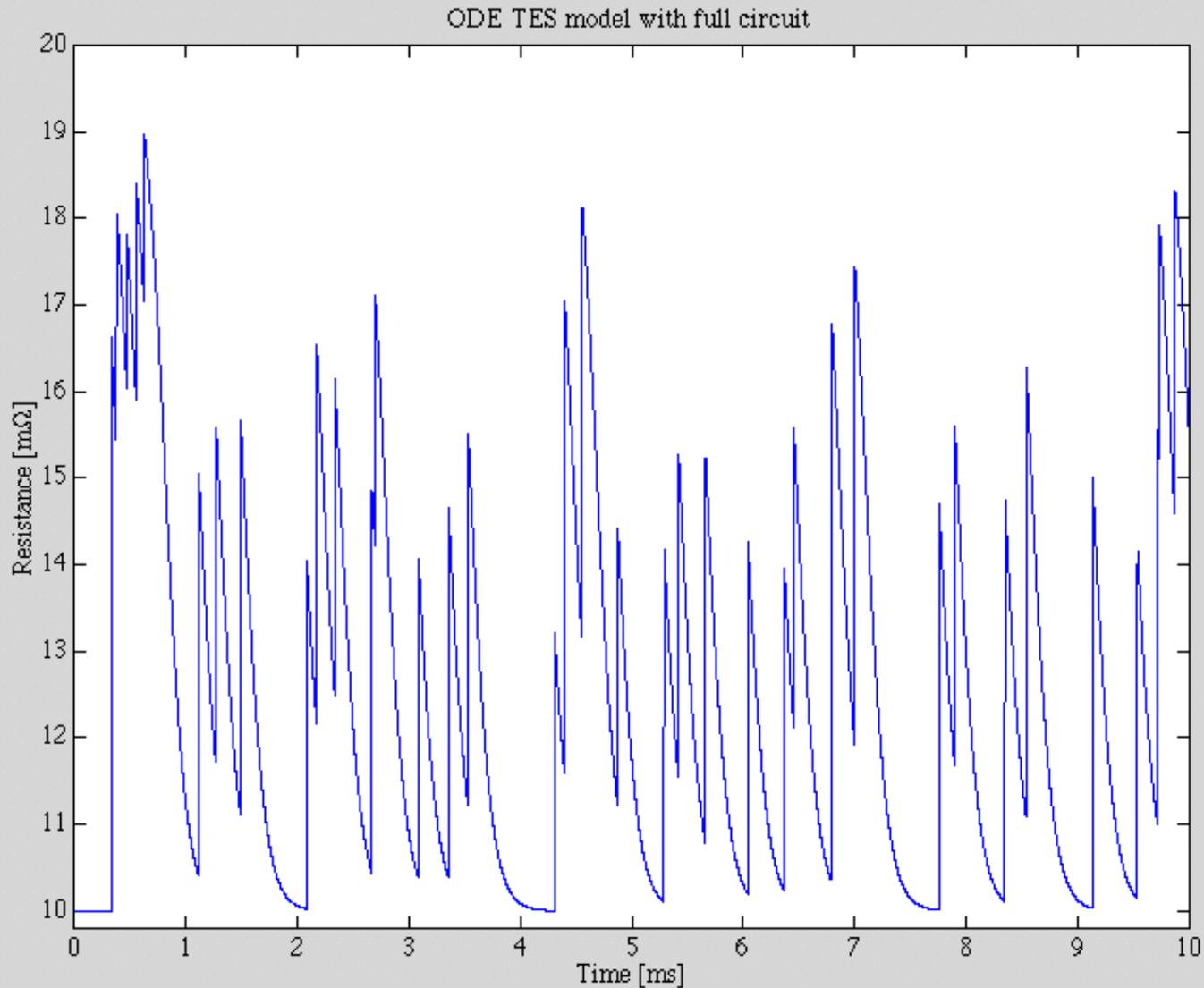
GX 301-2 model spectrum with Con-X response matrix



# Fictitious 1 Crab point source with GX 301-2 spectrum

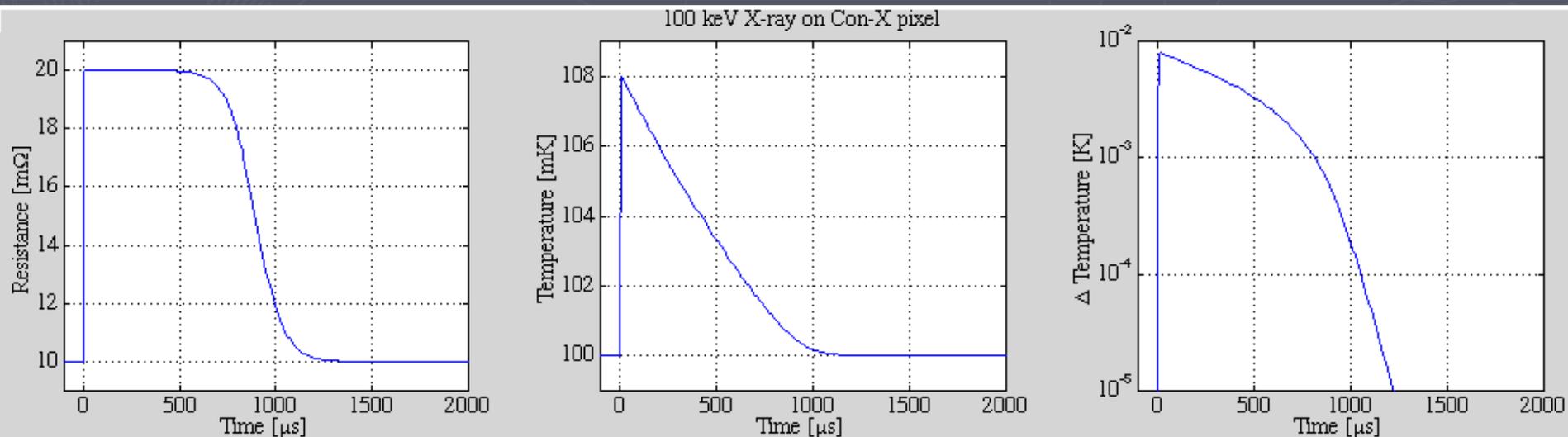


# Fictitious 1 Crab point source with GX 301-2 spectrum

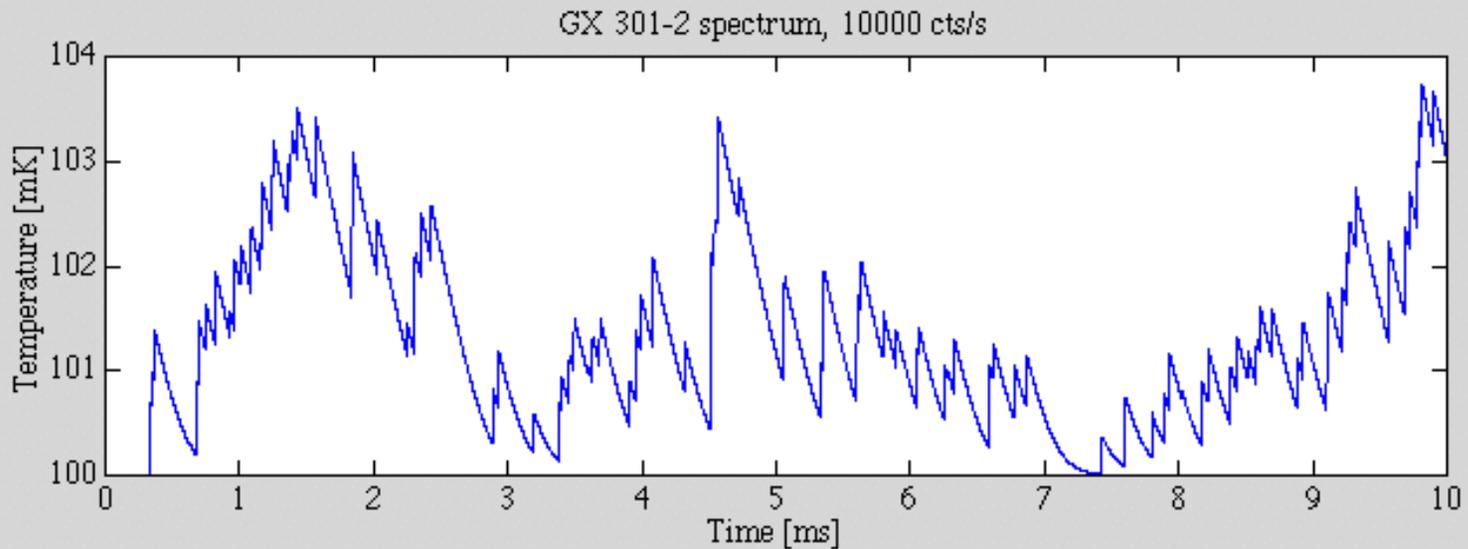
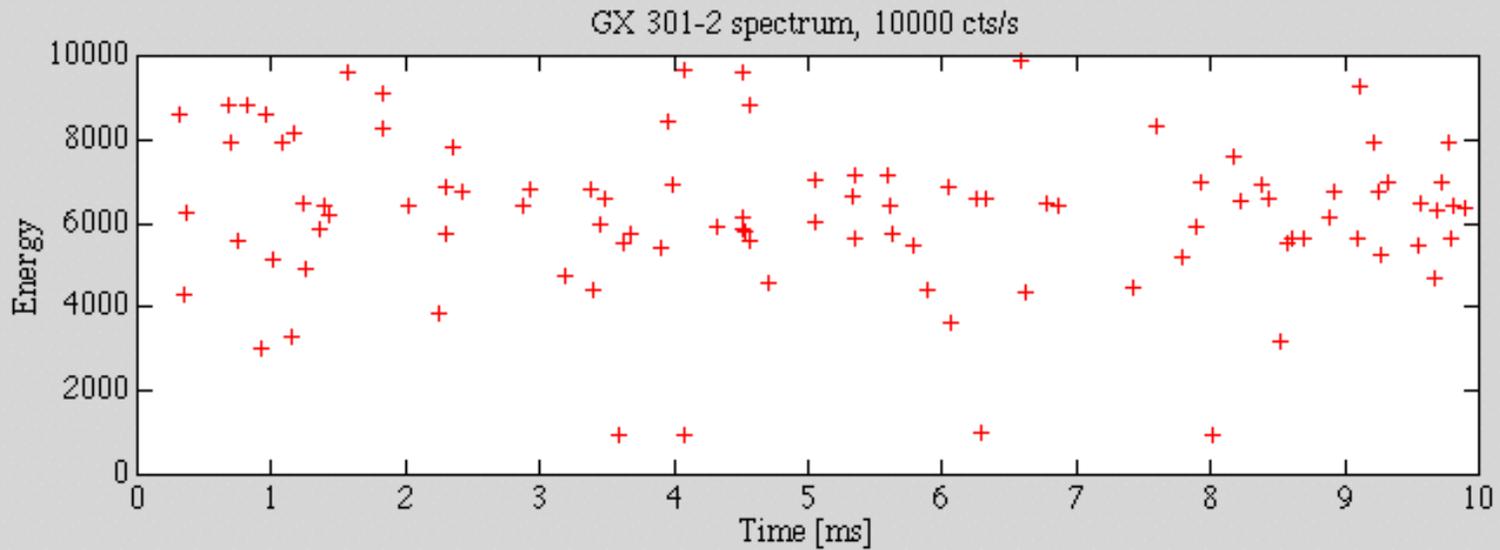


# $\tau_o / \tau_{\text{eff}} > 25 = \text{Big Problems??}$

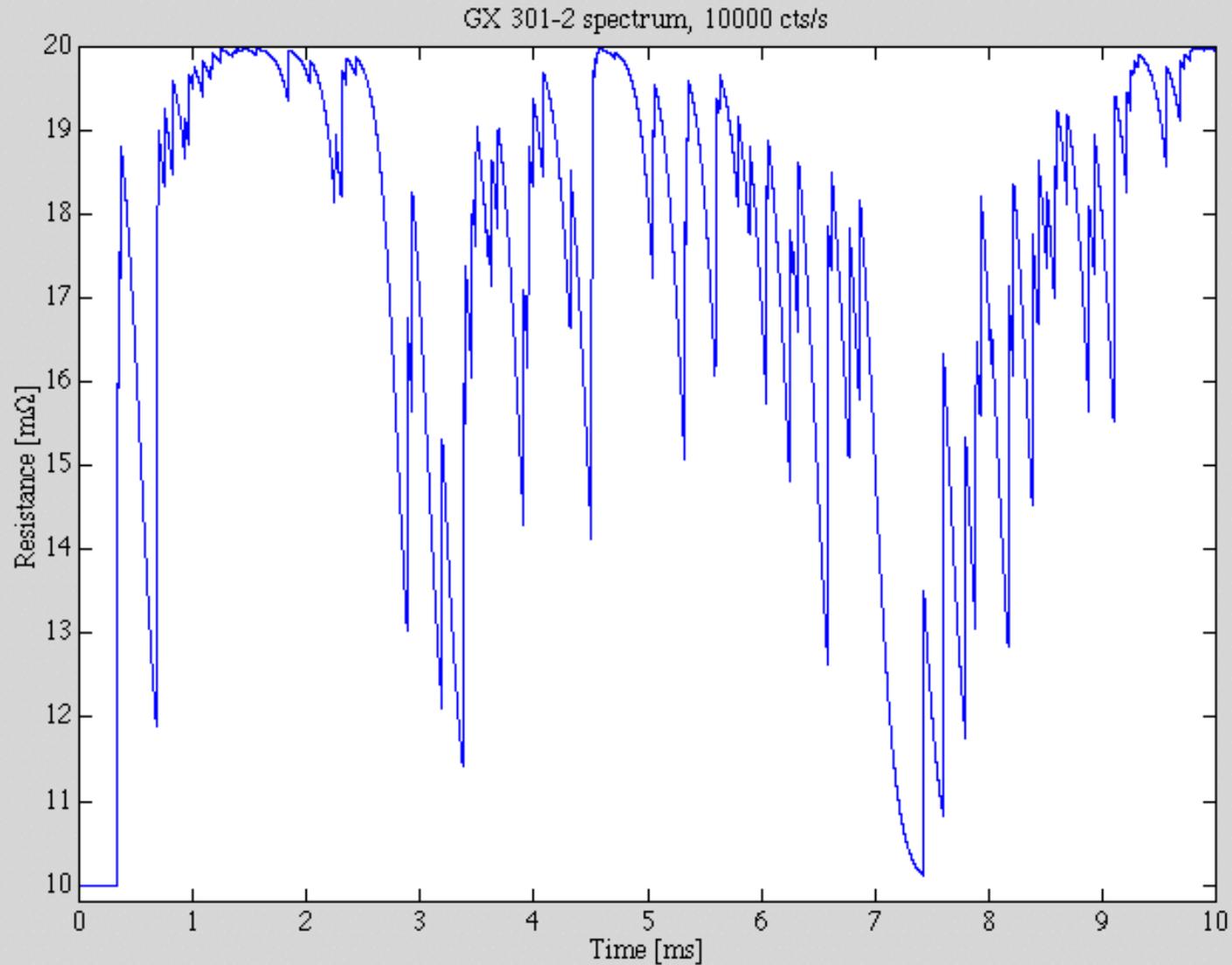
- If your decay time suddenly goes from 100  $\mu\text{s}$  to 2000  $\mu\text{s}$ , will you latch in the normal state? NO!!!
- Here is a 100 keV x-ray on a Con-X pixel:

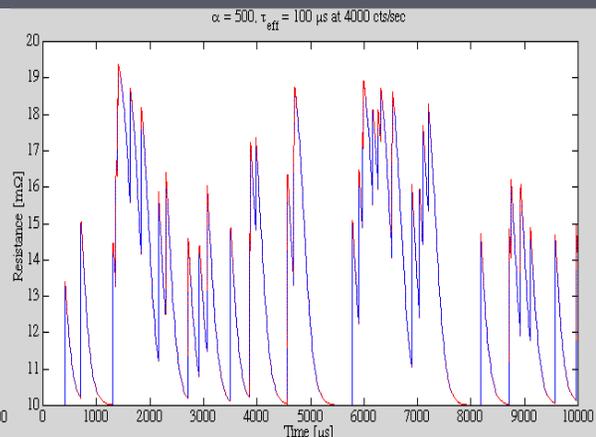
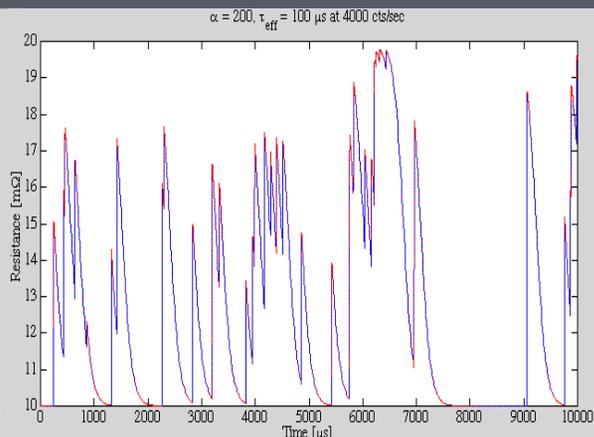
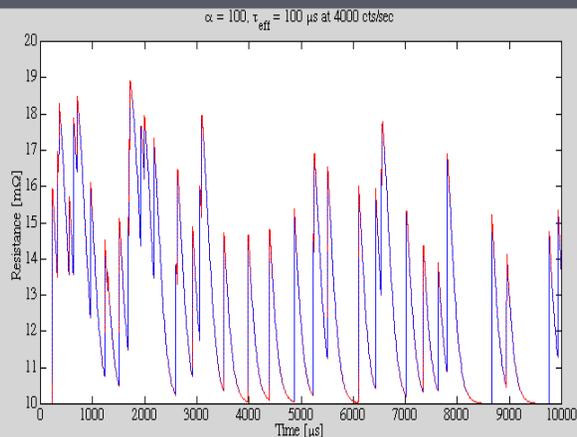
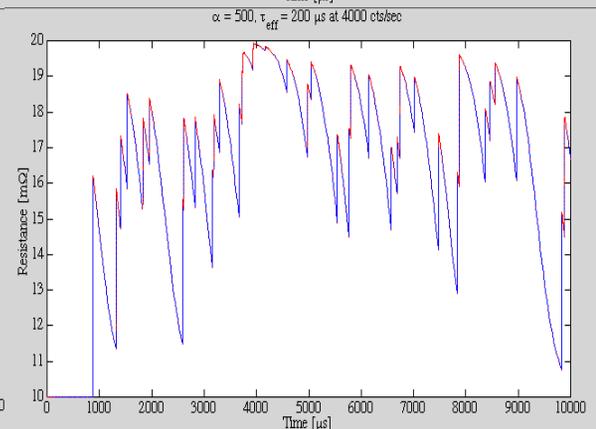
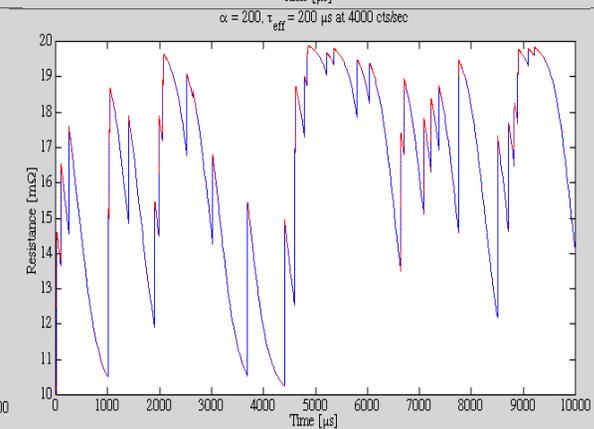
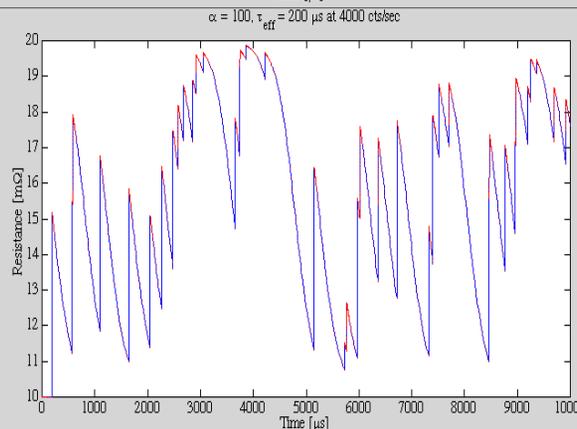
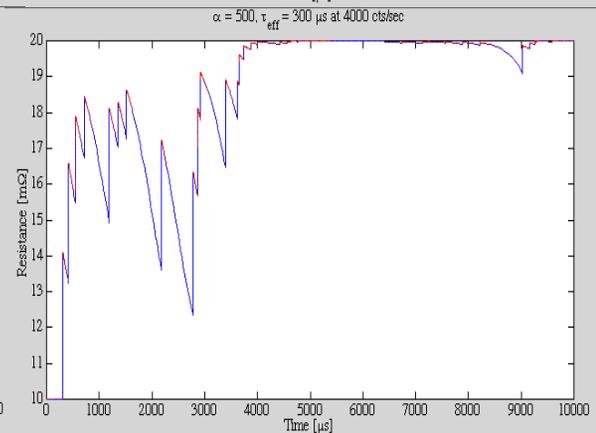
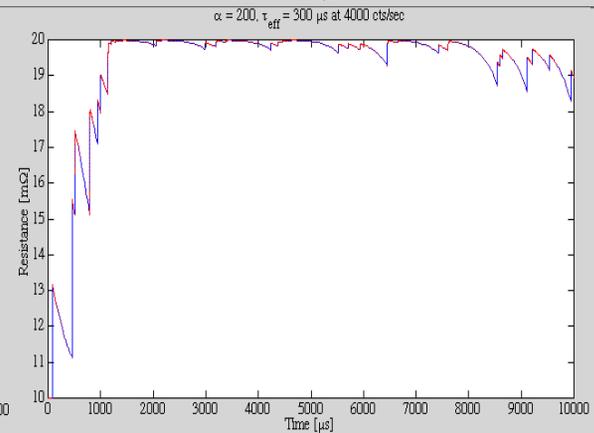
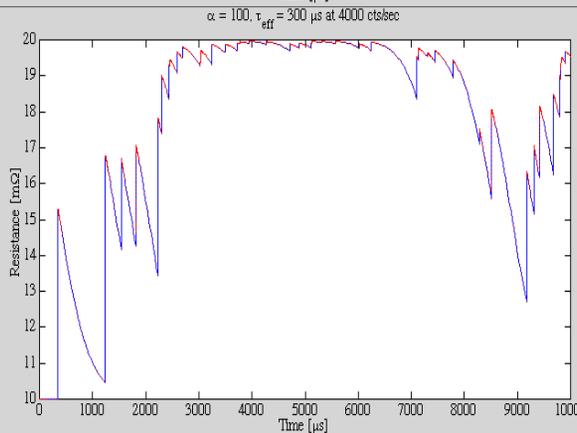


# Fictitious 2.5 Crab point source with GX 301-2 spectrum



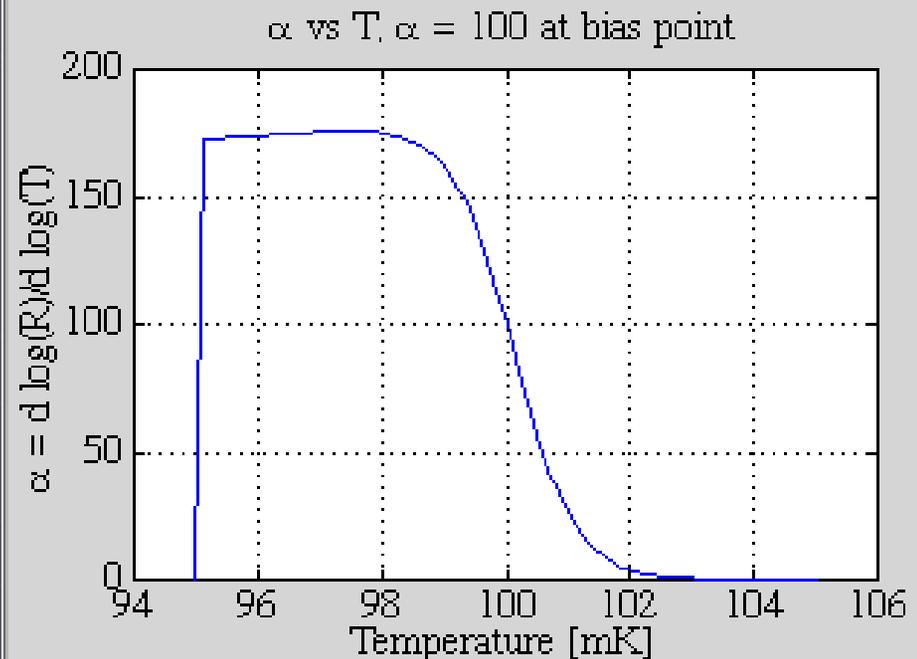
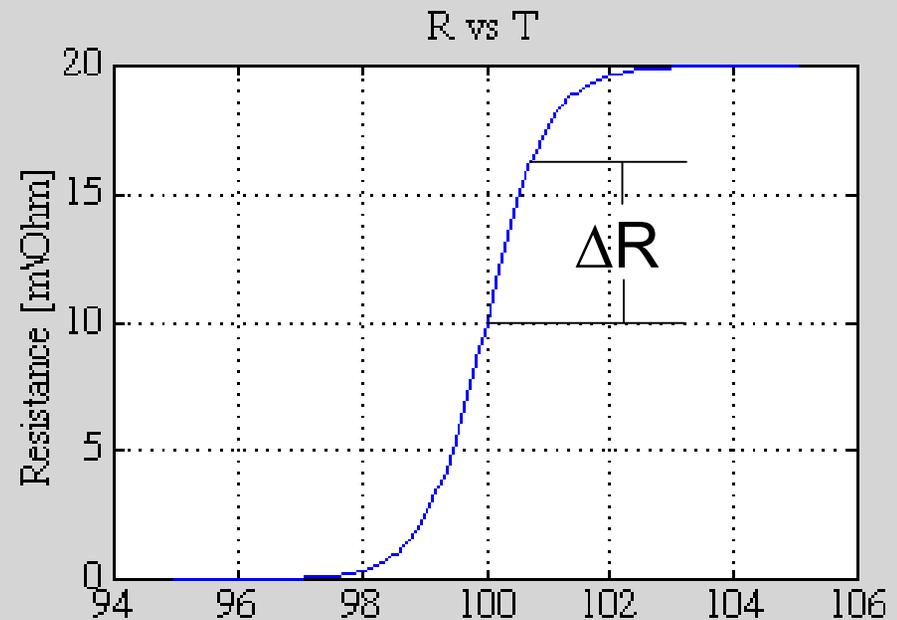
# Fictitious 2.5 Crab point source with GX 301-2 spectrum



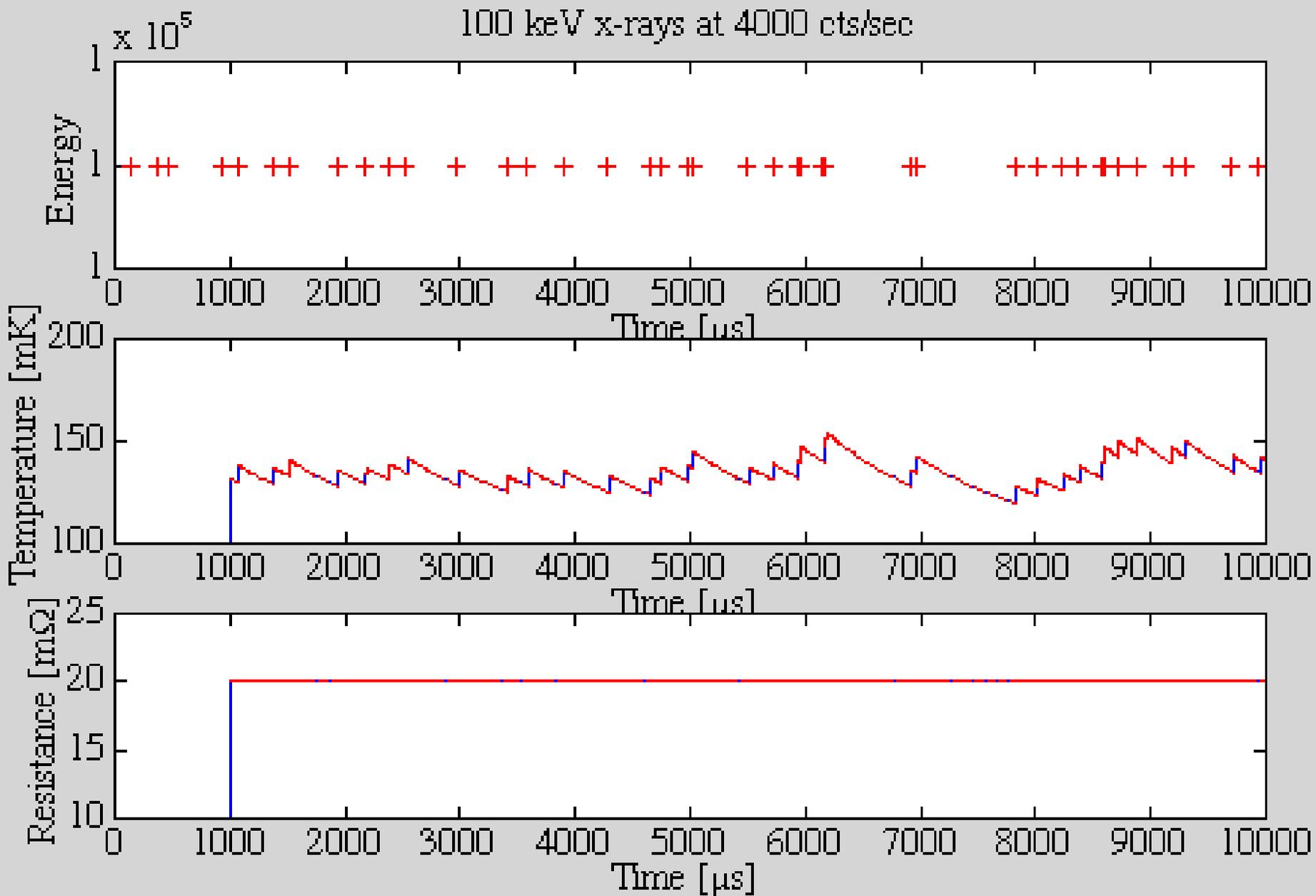
$\alpha = 100$  $\alpha = 200$  $\alpha = 500$  $\tau_{\text{eff}} = 100 \mu\text{s}$  $\tau_{\text{eff}} = 200 \mu\text{s}$  $\tau_{\text{eff}} = 300 \mu\text{s}$ 

# The problem with saturation

- For Con-X, we would like to design the TES so a 6 keV x-ray does not saturate the detector.
- When we do saturate, the decay time goes from  $\tau_{\text{eff}}$  to  $\tau_0$ .



# Here's a slew of 100 keV x-rays at 4000 cts/sec



# How do we parametrize?

- We want to study saturation as we vary  $\tau_{eff}$  and  $\alpha$
- We want to keep  $\Delta R$  constant
- To keep  $\Delta R$  constant we need to invert  $R(T,I)$  into  $T(R,I)$ . Once we have  $\Delta T$ ,  $C = 6\text{keV}/\Delta T$ , and

$$G = \frac{C / \tau_{eff}}{1 + \alpha \frac{(T_c^n - T_b^n)}{nT_c^n} \frac{R - R_L}{R(1 + \beta) + R_L}}$$